VASIL'YEVA, A. B., Doc Phys-Math Sci -- "Asymptotic methods in the theory of ordinary differential equations with small parameters at senior derivatives." Mos, 1961. (Mos State U im M. V. Lomonosov, Phys Fac) (KL, 8-61, 225)

- 1 -

VASILYEVA, A. B., VOLOSOV, V. M. and TIRHONOV, A. N.
"Differential equations containing a small parameter."

Paper presented at the Intl. Symposium on Monlinear Vibrations, Kiev, USJR, 9-19 Sep 61

Moscow State University, Moscow

VASILIYEVA, A. B. (Moskva)

Asymptotic behavior of solutions to differential-difference equations in the case of a small deviation of the argument. equations in the case of a small deviation of the argument. Thur. vych. mat. i mat. fiz. 2 no.5:768-786 S-0 162. (MIRA 16:1)

(Difference equations)

VASIL'YEVA, A.B.

Asymptotic methods in the theory of small-parameter ordinary differential equations with higher derivatives (author's summary of her doctor's thesis). Usp. mat.nauk 17 no.4:

(MIRA 15:8)
225-231 '62.

(Differential equations)

34466 \$/020/62/142/004/003/022 B112/B102

16.3400

AUTHOR:

Vasil'yeva, A. B.

TITLE:

Asymptotic formulas for solutions of ordinary differential equations with a small parameter at a higher derivative, which

are valid on a semi-infinite interval

Akademiya nauk SSSR. Doklady, v. 142, no. 4, 1962, 769 - 772 PERIODICAL:

TEXT: In two earlier papers (DAN, 124, No. 3 (1959), Matem sborn 50 (92), No. 1 (1960)) of the author, it is shown that for the solutions of the system

 $/\mu dz/dt = F(z, y, t), \mu > 0,$  dy/dt = f(z, y, t),

 $\begin{aligned} & z \Big|_{t=0} &= z^{0}, & y \Big|_{t=0} &= y^{0} \\ & \text{certain asymptotic formulas } x(t,\mu) &= X_{n} + R_{n+1}, \\ & X_{n} &= \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} + \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} + \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix} A \\ X_{0} + \dots + \mu & X_{n} \end{pmatrix} - \begin{pmatrix}$ 

Asymptotic formulas for ,..

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 $+ t_{n_0}^{(2)}$ 

with  $|R_{n+1}| < c\mu^{n+1}$  are valid on an interval  $0 \le t \le T$ ,

In the present paper it is demonstrated that under certain additional conditions these asymptotic formulas are valid on the semi-infinite interval  $0 \leqslant t < \infty$ . There are 7 Soviet references

ASSOCIATION: Moskovskiy gosudarstvennyy universitet im M. V. Lomonosova

(Moscow State University imeni M V Lomonosov)

PRESENTED:

September 20, 1961, by I. G. Petrovskiy, Academician

SUBMITTED:

September 13, 1961

Card 2/2

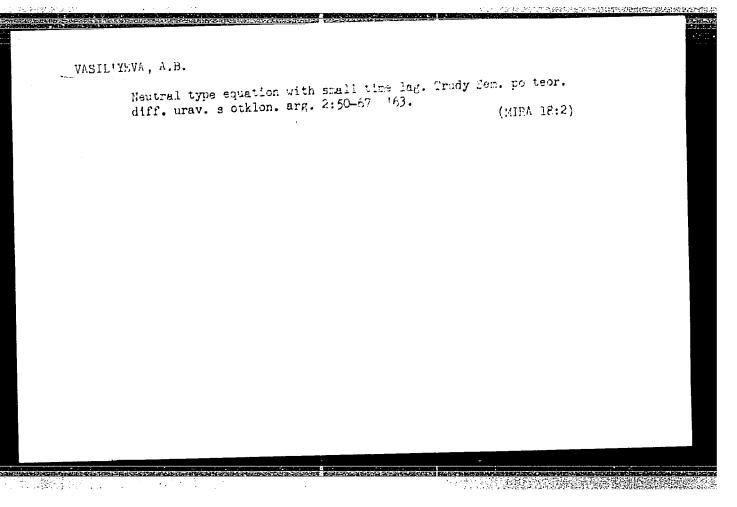
VASIL'YEVA, A.B.

An equation of the neutral type with a slight lag. Dokl.AN SSSR

(MIRA 15:7)

145 no.3:495-497 Jl \*62.

1. Moskovskiy gosudarstvennyy universitet imeni Lomonosova. Predstavleno akademikom I.G.Petrovskim. (Differential equations)



EWT(d)/FCC(w)/BDS AFFTC/IJP(C) Pg-1 L 18534-63 s/0208/63/003/004/0611/0642 ACCESSION NR: AP3004954 AUTHOR: Vasil'yeva, A. B. (Moscow) TITLE: Asymptotic methods in the theory of ordinary differential equations small parameters for higher derivatives SOURCE: Zhurnal vy\*chisl. matematiki i matematich. fiziki, v. 3, no. 4, 1963, 611-642 TOPIC TAGS: asymptotic method , small parameter, differential equation , stability ABSTRACT: Chapter headings are: Introduction Chapter I. Asymptotic formulas for solution of a problem with initial conditions (Cauchy problem) 1. Statement of the problem. Theorem on transition to the limit.

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ACCESSION NR: AP3004954

- 2. Construction of the asymptotic expansion.
- 3. Application of asymptotic formulas for the Cauchy problem to the study of problems with other additional conditions.
- 4. Applications and examples.

Chapter II. Generalization of asymptotic formulas to the case of small parameters and an infinite interval.

- 5. Case of small parameters.
- 6. Case of infinite interval for t.

Chapter III. Equations with altered arguments.

7. Asymptotic formulas for solutions of neutral type equations.

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In applications (kinetics, radiotechnics, hydrodynamics) one often encounters differential equations containing the small parameter mas a factor in the derivatives:

$$\mu \frac{dz}{dt} = F(z, y, t), \quad \frac{dy}{dt} = f(z, y, t)$$
 (1)

( $\mu > 0$ , z, y are vectors) and there arises the problem of studying the dependence of the solution of such a system of equations on the parameter \mu . the case of an equation of the form  $\frac{dx}{dt} = F(x, t, \mu),$ 

$$\frac{dx}{dt} = F(x, t, \mu), \tag{2}$$

in which the right part is an n-fold differentiable function of all its arguments this question has been thoroughly studied and the results are found in books on differential equations, i.e., I. G. Petrovskiy (Lektsii po teorii oby\*knovenny\*kh differentsial ny\*kh uravneniy. M.-L., Gostekhizdat, 1952) Chapter III, and L. S. Pontryagin (Oby\*knovenny\*ye differentsial'ny\*ye uravneniya. M., Fizmatgiz, 1961),

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Chapter I. Such a case can be called regular. If system (1) is rewritten in form (2), then in the right part of (2) for  $\mu=0$  there is a singularity by which is meant the presence of many effects, new in comparison with the regular case, which hold for (1). In recent years many papers have appeared which are concerned with studying these effects which are very diverse in the dependence on the type of right parts of (1) and on the kind of additional conditions by which the solution is determined. The aim of this article is the indication of asymptotic methods which are applicable to the study of the Cauchy problem for equation (1), i.e., the problem with initial conditions

$$z|_{t=t^0}=z^0, \quad y|_{t=t^0}=y^0,$$
 (3)

and also a generalization of these methods to more complex systems. The first question which arises in studying asymptotics of the solution of (1), (3) is the question of passage to the limit in this solution as  $\mu \to 0$ . If in (1) one formally sets  $\mu = 0$ , then one obtains the simpler, so-called degenerate, system

$$z = \varphi(y, t), \quad \frac{d\mathbf{y}}{dt} = f(z, y, t)$$

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 $(\varphi(y,t))$  is one of the roots of the equation F(z,y,t)=0). The solution of this system cannot, generally speaking, satisfy all the initial conditions (3). Define this solution by the initial condition

 $y|_{t=t^{\bullet}}=y^{\bullet}. \tag{5}$ 

The solution of (1), (3) as  $\mu \to 0$  actually tends to the solution of (4), (5) — here is an analogy to the regular case (2). However there are two features distinguishing this case from the regular one: 1) In the regular case (2) the limit passage to the solution of the equation dx/dt = F(x,t,0) occurs if the right part (2) is sufficiently smooth, the passage from the solution of (1), (3) to the solution of (4), (5) occurs only under a special requirement concerning to the solution of (4), (5) occurs only under a special requirement concerning  $\varphi$  (y,t) (Chapter I,  $\varphi$  1, requirement of stability of the root); 2) the solution of the system dx/dt = F(x,t,0) satisfying the same initial condition x x y

as well as the solution of the original system, approximates the solution of system (2) uniformly on each interval  $t^0 \le t \le T$  of variation of the independent variable which includes the initial point  $t^0$  at the time that solutions of (1),

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(3) and (4), (5) in a neighborhood of  $t = t^0$ , generally speaking, differ strongly as a result of the difference in the initial conditions (3) and (5). The limiting function for z is discontinuous  $(z) = z^0 \neq \varphi(y^0, t^0)$ . Up to the passage to

the limit, if  $\mu$  is sufficiently small, instead of discontinuity there will be a rapid change of z, a so-called region of boundary layer. The limit passage to problem (1), (3) is studied in detail in Chapter I. After establishment of the limit passage in the solution of the Cauchy problem, it is natural to pose the problem of obtaining asymptotic formulas in the parameter  $\mu$  for this solution. In the regular case the role of asymptotic formula for the solution satisfying the initial condition  $\mu$  =  $\mu$  can be played by the usual Maclaurin formula

whose coefficients are determined from variational equations and satisfy the zero initial conditions in relation with the fact that  $\mathbf{x}^0$  does not depend on  $\mu$ . Study shows that for the solution of (1), (3) outside the boundary layer one can keep the Maclaurin formula as asymptotic formula where the coefficients of this expansion, as before, will satisfy variational equations. However if, analogously to the regular case, one attempts to determine them, taking the solution

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of the variational equations satisfying the zero initial conditions, then the obtained result is not valid, i.e., the coefficients thus obtained are not limit values for derivatives in  $\mu$  of the solution of the original problem. It turns out that, in order to obtain correct values of the coefficients of the Maclaurin expansion from the variational equations, it is necessary to determine the solution of these equations for special initial conditions which are, generally speaking, distinct from the zero ones. The asymptotic formulas thus obtained have a uniform character for  $t \geq t_1$ , (where  $t_1$  is an arbitrarily close to  $t^0$  but fixed number as  $\mu \rightarrow 0$ ) but perfectly unsuitable in a neighborhood of  $t^0$ . In order to construct asymptotic formulas having a uniform character on the entire interval  $t^0 \leq t \leq T$  also including the region of boundary layer, it is necessary to combine the above Maclaurin expansion with an expansion of another form whose terms are exponentially decreasing functions of the type  $e^{-\infty}(t-t^0)/\mu \mu$ . The construction of a uniform asymptotic formula for the solution of (1), (3) is done in f 2 of Chapter I. Asymptotic formulas constructed for the Cauchy problem contain as parameters f 20, f 30 thanks to which they can be used for the purpose of obtaining asymptotic formulas for problems with other additional conditions. This area of problems is investigated in f 3 of Chapter I. In f 4 of Chapter I

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the author gives problems with concrete contents leading to a system of type (1). Chapter II deals with the case where there are small parameters of various orders of smallness for the derivatives in the system of equations. For such a system one can write asymptotic formulas of the same type as in  $\oint 2$  of Chapter I ( $\oint 5$ ). The problem of extension of the asymptotic formulas of Chapter I to an infinite interval of variation of t ( $\oint 6$ ) is clearly related to the problem of parameters of various orders of smallness. In all these problems for small  $\mu$ , there is an occurrence of boundary layer since the solution of the degenerate equation cannot satisfy all the additional conditions imposed for the original equation (1). One might expect that in equations of type other than (1) with, however, the singularity that for  $\mu = 0$  part of the additional conditions are lost, one will also observe the appearance of a boundary layer whose structure is analogous to that for system (1). This is the situation with differential-difference equations

 $\dot{y}(t) = F(t, y(t), y(t - \mu), \dot{y}(t - \mu)),$  (6)

whose solution is determined by the additional condition

 $y(t) = \varphi(t) \tag{7}$ 

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ACCESSION NR: AP3004954

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on the initial set  $t^0 \le t \le t^0 + \mu$ . The corresponding degenerate  $(\mu = 0)$  equation is an ordinary differential equation and its solution is determined by an initial condition at a point. Study shows that in this case one actually observes the appearance of a boundary layer in a neighborhood  $t = t^0$  and for the solution of problem (6), (7) one can construct an asymptotic solution in perfect analogy to the way it was done for (1). An equation of form (6) is considered in Chapter III. Orig. art. has: 104 formulas.

ASSOCIATION: none

SUBMITTED: 24Ju162

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ENCL: 00

SUB CODE: MM

NO REF SOV: 062

OTHER: 014

Card 9/9

### "APPROVED FOR RELEASE: 08/31/2001

## CIA-RDP86-00513R001858920020-6

EWT (d)/FCC(w)/BDS AFFTC \$/0042/63/018/003/0015/0086 L 15568-63 ACCESSION NR: AP3003357 AUTHOR: Vasil'yeva, A. B. TITLE: Asymptotic solutions of problems for higher order ordinary nonlinear differential equations with small parameter SOURCE: Uspekhi matematicheskikh nauk, v. 18, no. 3, 1963, 15-86 TOPIC TAGS: stability, continuity at zero, differential equation, nonlinear, continuity, zero ABSTRACT: The chapter titles are: Introduction 1. Asymptotically stable case. Asymptotics of the solution of the problem with initial conditions. 1. Study of limiting passage in the Cauchy problem. 2. Construction of the asymptotic expansion. II. Asymptotically stable case. Problems allowing study on the basis of the Card 1/

	ON NR: AP3003357	r the Cauchy p	roblem.			
	Two point boundar z on one of the e	ends of the inte	erval.			
	Two point boundar z at some interior	or point of the	interval.	ving, in the	limit, jum	P
4.	Problems with oth Solution having,	in the limit,	jump y on one o	$\mathbf{f}_{i}$ the ends of	f the inter	val.
1.	yperbolic case.  Periodic solution Two point boundar jump z at the end	y value proble	n. Solution ha	ving, in the	limit,	
3.	Two point boundar jump z at some ir	y value proble	a. Solution ha	ving, in the	limit,	
The aut	hor considers syste					
		$\mu \frac{dz}{dt} = \frac{dy}{dt} = \frac{dy}{dt} = \frac{dz}{dt}$	F(z, y, t), $f(z, y, t)$	(1)		
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and is interested in the question of continuity of the solution with respect to  $\mu$  at  $\mu$  = 0. She first points out that this system differs significantly from system

$$\frac{dx}{dt} = F(t, x, \mu), \tag{2}$$

in this regard. The latter behaves quite well under suitable regularity conditions, while the former, even in a very simple linear case, can misbehave. In the general nonlinear case the limiting character of the integral curves is related to the character of the fixed value  $z = \varphi(y^0, t^0)$  of the auxiliary system

$$\frac{dz}{d\tau} = F(z, y^0, t^0), \tag{3}$$

which can be obtained from (1) if the variables y and t in it are fixed. To each isolated solution (root)  $z = \varphi(y,t)$  of the equation F(z,y,t) = 0 there corresponds a fixed value  $z = \varphi(y^0,t^0)$  of (3). If  $z = \varphi(y^0,t^0)$  is asymptotically stable as  $\tau \to \infty$  for some set of variation of  $y^0$ ,  $t^0$  then the solution of the problem with initial conditions

$$z$$
 $t = t_0$ 
 $z$ 
 $t = t_0$ 

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#### "APPROVED FOR RELEASE: 08/31/2001

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in some interval  $t^0 < t < T^0$  tends to a definite limit which is a solution of (1) for M = 0. Similarly for T -> w. (These are called the asymptotically stable case.) The author investigates the passage to the Limit for the Cauchy problem in her first chapter. In the case of an asymptotically stable singular point there is a passage to the limit not only for the Cauchy problem, but for other problems as well, i.e. the two point boundary value problem, the many point boundary value problem, the problem with mobile boundaries and the problem of periodic solution. The author investigates these problems in her second chapter. If the fixed value  $z = \phi(y^0, t^0)$  of (3) is a saddle point then the solution of the Cauchy problem with arbitrary initial data not depending in any special manner on  $\mu$  will not in general tend to the solution of (1) with  $\mu$  = 0 corresponding to the given  $\mathcal{C}(y,t)$ . In this case we have the problem of determining special initial values not generally depending on  $\mu$  for which the passage to the limit always takes place. However the solution determined by the given fixed zo, yo will either tend to the solution of (1) with #=0corresponding to some other asymptotically stable value of (3) or will go to infinity. Rather than investigate the Cauchy problem, the author imposes initial conditions in another given manner for which the passage to the limit  $(\mu = 0)$  corresponding to a saddle point is assured. She calls this the hyperbolic case, and investigates it in her third chapter. Orig. art. has: 224 formulas.

Card 4/84

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L 12366-65 EWT(d) Pg-4 IJP(c)/ASD(d)/FSD(dp) MLK
ACCESSION NR: AT4047146 S/0000/64/000/000/0183/0191

AUTHOR: Vasil'yeva, A. B. (Moscow); Butuzov, V. F. (Moscow)

TITLE: Asymptotics of the solution of an integro differential equation with a small parameter multiplying the derivative

SOURCE: Chislenny\*ye metody\* resheniya differentsial'ny\*kh i integral'ny\*kh uravneniy i kvadraturny\*ye formuly\* (Numerical methods of solving differential and integral equations and quadrature formulas); sbornik statey. Moscow, Izd-vo Nauka, 1964, 183-191

TOPIC TAGS: integrodifferential equation, asymptotic solution, Cauchy problem

ABSTRACT: A study is made of the Cauchy problem for the integro-differential equation

$$\mu \frac{dy}{dt} = F(y, \int_{0}^{t} K(t, x) y(x) dx, t), y(0) = y^{0},$$
 (1)

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where  $\mu$  is a small parameter and an independent variable. Setting  $\mu$  = 0 in equation (1), a degenerate equation is obtained. Under the assumptions that solutions  $y(t,\mu)$  of equation (1) and  $\vec{y}_0(t)$  of the degenerate equation exist and satisfy certain conditions, it is proved that the passage to the limit

$$\lim_{\mu \to 0} y(t,\mu) = \overline{y}_0(t) \quad (0 \leqslant t \leqslant T)$$
 (2)

exists. Asymptotic formulas for the uniform approximation of y(t,u) with arbitrary accuracy are constructed on the basis of methods developed previously by A. N. Tikhonov and A. B. Vasilyeva (Matematicheskiy sbornik, v. 22, no. 2, 1948, 193-204; v. 60, no. 1, 1960, 43-58; and Uspekhi matematicheskikh nauk, v. 18, no. 3, 1963, 15-86) for the solution of ordinary differential equations with a small parameter multiplying the derivative. These formulas are valid on the entire interval  $0 \le t \le T$ ; that is, even in the neighborhood of the initial point t=0, where the solution of the degenerate equation does not satisfy the initial condition of equation (1) and the boundary-layer phenomenon takes place. Orig. arc. has: 17 formulas.

Card 2/3

VASILITEVA, A.B. (Mosker); BUTUTOV, V.F. classic

Asymptotic belavior of the solution to an integrotifferential equation containing a small parameter with the derivative.

Zhur. vych. mat. i mat. fiz. 4 no.s(suppl.):183-191 '61.

(H.R. 18:2)

<u>L 40805-65</u> EWT(d) Pg-4 IJP(c) ACCESSION NR: AP4042056

S/0055/64/000/004/0021/0029

AUTHOR: Vasil'yeva, A. B.; Zimin, A. B.

B

TITLE: Asymptotic behavior of solutions of some classes of <u>differential equations</u> with a small parameter at the highest derivative

SOURCE: Moscow. Universitet. Vestnik. Seriya 1. Matematika, mekhanika, 19.no. 4, 1964, 21-29

TOPIC TAGS: asymptotic behavior, differential equation, small parameter, highest derivative, degenerate equation

ABSTRACT: The present paper treats the problem of constructing the solution of the differential equation with a small parameter at the highest derivative

$$\mu \frac{dz}{dt} = F(z, t), \quad z|_{t=0} = z^0$$

when the root of the degenerate equation F(z,t)=0 is odd-multiple. It is shown that in this case the solution may be represented by its expansion as a series in

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L 40805-65 ACCESSION NR: AP4042056

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the parameter f(z,t)=0, degenerate equation f(z,t)=0. , where (2m+1) is the multiplicity of the root of the

ASSOCIATION: None

SUBMITTED: 06May63

ENCL: 00

SUB CODE: MA

NR REF SOV: 003

OTHER: 000

L 62663-65 M/T(d) LJP(c) ACCESSION NR: AP5017757

UR/0376/65/001/006/0717/0730

AUTHOR: Vasil'yeva, A. B.

TITLE: Integral perturbations in differential equations with rapidly oscillating solutions

SOURCE: Differentsial'nyye uravneniya, v. 1, no. 6, 1965, 717-730

TOPIC TAGS: differential equation, integral equation, perturbation

ABSTRACT: Using a modification of the so-called VBK method; see E. Kamke (Spravochnik po obyknovennym differentsial'nym uravneniyan, IL, M., 1950, str. 209), the author proves the following: Consider the equation

$$\mu^{2} y'' + Q^{2}(x) y = \int_{0}^{x} K(x, t) y(t) dt + f(x)$$
 (1)

and set up the Cauchy problem

$$y(0) = y^0, \quad y'(0) = y'.$$
 (2)

Theorem. Expression

$$Y_{h} = \alpha \left[ A_{h}(x, \mu) e^{-\frac{1}{\mu} \int_{0}^{x} Q dx} + C_{h}(x, \mu) \right] + \beta \left[ \overline{A}_{h}(x, \mu) e^{-\frac{1}{\mu} \int_{0}^{x} Q dx} + \overline{C}_{h}(x, \mu) \right] + B_{h}(x, \mu)$$
(3)

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ACCESSION IR: AP5017757

in which a and B are defined from

$$y^{1} = \alpha \left[ A'_{k}(0, \mu) + C'_{k}(0, \mu) + \frac{i}{\mu} A_{k}(0, \mu) Q(0) \right] +$$
(4)

$$+\beta \left[ \overline{A}_{k}(0, \mu) + \overline{C}_{k}(0, \mu) - \frac{i}{\mu} \overline{A}_{k}(0, \mu) Q(0) \right] + B'_{k}(0, \mu),$$

represents a solution  $y(x, \mu)$  of the Cauchy problem (2) for equation (1) with

asymptotic accuracy 
$$\mu^{k+1}$$
, i.e.,
$$|y(x, y) - Y_{k}| < C_{k}^{k+1}$$
(5)

where C does not depend on x and  $\mu$  for  $\mu \leq \mu_0$  and  $0 \leq x \leq 1$ . Consider

$$\mu^2 y'' + \Lambda^2 Q^2(x) y = \int_0^t K(x, t) y(t) dt', \qquad (6)$$

Theorem. Suppose in equation (6)  $\mu = \frac{1}{\pi n} \int_{0}^{1} Q dx$ . Then under certain conditions in

a neighborhood  $\Lambda = 1$  (of order 1/n) problem (6) has a unique eigenvalue whose

Card 2/3

#### "APPROVED FOR RELEASE: 08/31/2001

#### CIA-RDP86-00513R001858920020-6

ACC NR. AP 6007885

SOURCE CODE: UR/0199/66/007/001/0061/0069

AUTHOR: Vasil'yeva, A. B.; Imanaliyev, M.

ORG: none

TITLE: Asymptotics of solutions of the Cauchy problem for an integrodifferential equation with a small parameter multiplying the derivative

SCURCE: Sibirskiy matematicheskiy zhurnal, v. 7, no. 1, 1966, 61-69

TOPIC TAGS: Cauchy problem, integro differential equation, asymptotic solution

ABSTRACT: The behavior of solutions  $y(x,\mu)$  when  $\mu \to 0$  of the Cauchy problem for the integro-differential equation

$$\mu y' + P(x)y = \overline{\lambda} \int K(x, t) y(t) dt, \qquad (1)$$

$$y(0) = y^0, (2)$$

where  $\mu > 0$  is a small parameter, is studied under the assumption that P(x) and K(x,t) are continuous on the intervals 0 < x < 1, 0 < t < 1,

Card 1/2

UDC: 517.948.34

21176-60 ACC NR: AP6007885

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and P(x) > 0. It is shown that the problem (1)-(2) under certain conditions of smoothness of P(x) and K(x,t) has solutions which tend at  $\mu \rightarrow 0$  to a certain linear combination of the form

$$A_1\varphi_1(x) + \ldots + A_m\varphi_m(x), \tag{3}$$

where (x),... m(x) are eigenfunctions of equation (1) when  $\mu = 0$ , and  $\Lambda_1,\ldots,\Lambda_m$  are certain unknown coefficients. A procedure is presented for determining their value. The asymptotics of the solutions  $y(x,\mu)$  with the remainder term of the  $\mu^{n+1}$  order is constructed. The asymptotics of the solutions  $y(x,\mu)$ totic behavior of the solutions of the Cauchy problem for the nonhomogeneous equation

$$\mu y' + P(x)y = \bar{\lambda} \int_0^1 K(x,t)y(t)dt + f(x). \tag{4}$$

is also considered. The asymptotics of the solution is constructed by means of a method similar to that used in problem (1)-(2). Orig. art. has: 27 formulas.

SUB CODE: /2 SUBM DATE: 21Jan65/ ORIG REF: 006/ ATD PRESS: 4222

VASIL'YEVA, A.B.; BUTUZOV, V.F.

Some problems involving eigenvalues for integrodifferential equations containing a small parameter at the leading derivative. Dif. urav. 1 no.9:1190-1203 S '65. (MIRA 18:10)

1. Moskovskiy gosudarstvennyy universitet imeni Lomonosova, fizicheskiy fakul'tet.

# VASILYEVA, A. B.

1 1 2 2 2 2 2

"Granzschichterscheinungen und Schwingungsprozesse für Gleischungen neutralen Typs mit kleiner Verzogerung."

report submitted for 3rd Conf on Nonlinear Oscillations, E. Berlin, 25-30 May 64.

Production of the Control of the Con

VASIL'YEVA, A.B.; RODIONOV, A.M.

Application of the method of perturbations to an equation with delayed argument in the case of a slight delay. Trudy Sem. po teor. diff. urav. s otklon. arg. 1:20-27 '62. (MIRA 16:12)

KOROBKOV, A.Ye.; VASILIYEVA, A.B.; STOYANOV, G.I.

Mobile device for cleaning petroleum tanks from bottom settlings. Transp. i khran. nefti i nefteprod. no.7:25-27 465. (MIRA 18:9)

1. Nauchno-issledovatel'skiy institut po transportu i khraneniyu nefti i nefteproduktov.

### "APPROVED FOR RELEASE: 08/31/2001

### CIA-RDP86-00513R001858920020-6

L 13487-66 EWT(d) IJP(c)

ACC NR: AP6001378

SOURCE CODE: UR/0376/65/001/009/1190/1203

AUTHORS: Vasil'yeva, A. B.; Butozov, V. F.

2

ORG: Moscow State University im. M. V. Lomonosov, Physics Faculty (Moskovskiy) gosudarstvernyy universitet, fizicheskiy fakul'tet)

TITLE: Problems on eigenvalues for integro-differential equations with small parameter for higher derivative

SOURCE: Differentsial'nyye uravneniya, v. 1, no. 9, 1965, 1190-1203

TOPIC TAGS: differential equation, integral equation

ABSTRACT: The Cauchy problem for a first order integro-differential equation is considered,  $\mu \frac{dy}{dt} + A(x)y = \lambda \int_{0}^{1} K(x, t) y(t) dt, \qquad (1)$ 

with O initial condition

y(0) = 0 . (2)

Here  $\mu > 0$  is a small parameter,  $\lambda$  is a complex parameter. The relation between the eigenvalues and eigenfunctions of

16,44,55

 $A(x) y = \lambda \int_{0}^{1} K(x, t) y(t) dt$  (3)

Card 1/2

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ACC NR: AP6001378

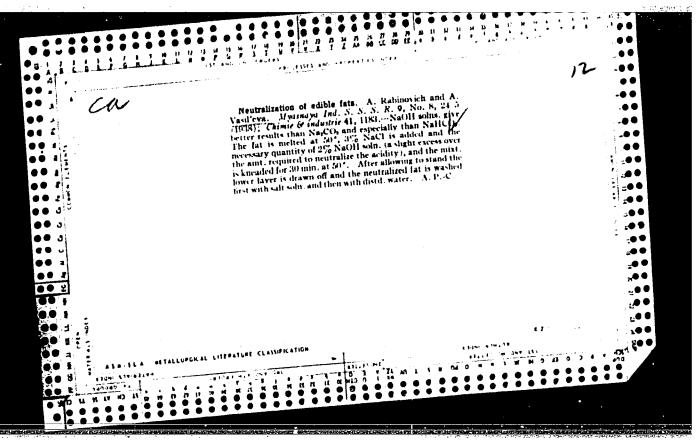
is investigated, and also those of (1), (2). There is an analogous study for

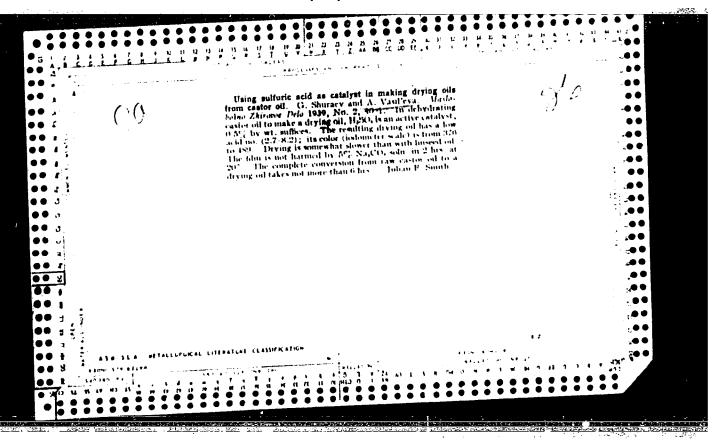
$$\mu^{2} \frac{d^{2}y}{dx^{2}} - A^{2}(x) y = \lambda \int_{0}^{1} K(x, t) y(t) dt, \qquad (4)$$

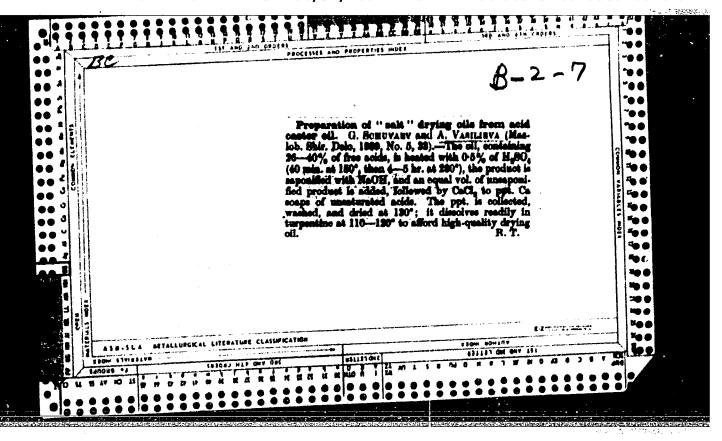
$$y(0) = 0, \quad y(1) = 0.$$
 (5)

Orig. art. has: 31 formulas.

SUB CODE: 12/ SUBM DATE: 13Apr65/ ORIG REF: 003/ OTH REF: 001

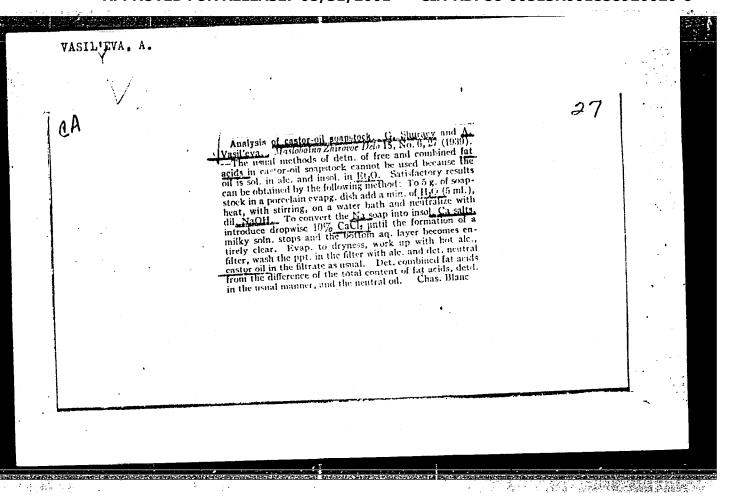


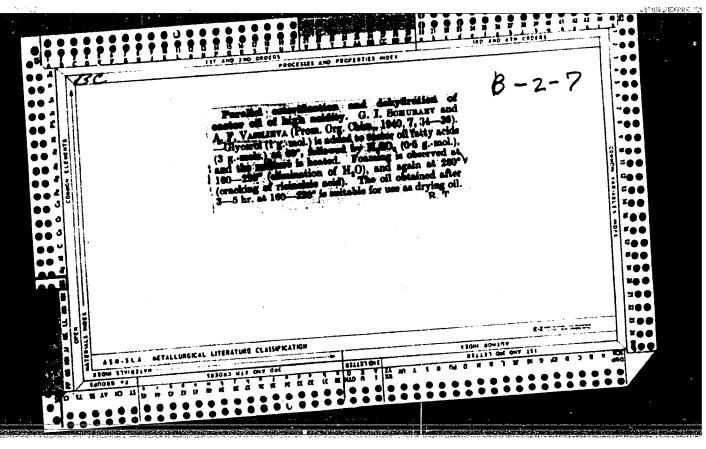


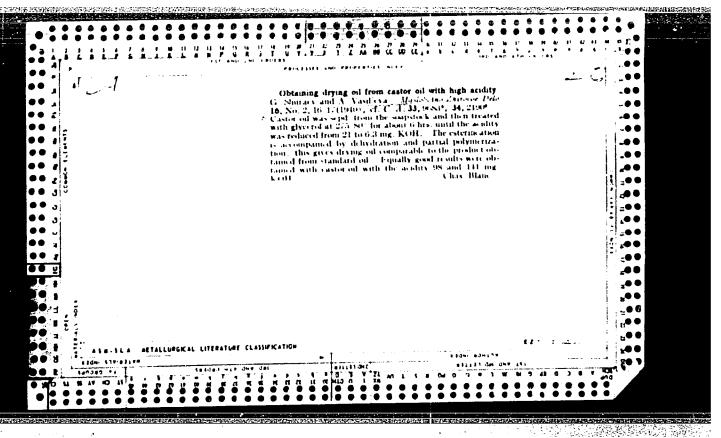


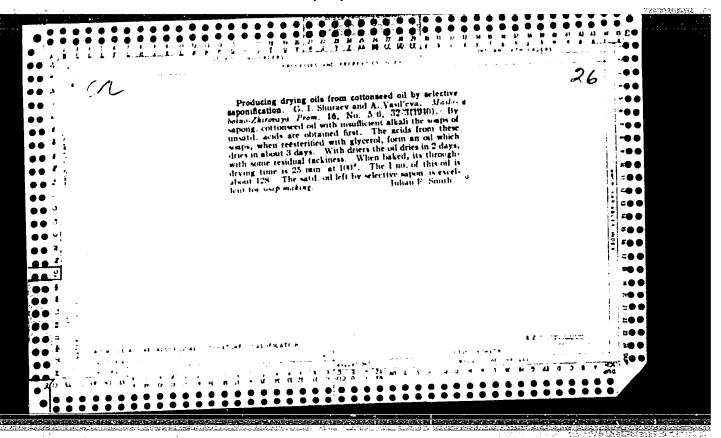
#### "APPROVED FOR RELEASE: 08/31/2001

#### CIA-RDP86-00513R001858920020-6









FEOKISTOV, Aleksandr Mikhaylovich; VASIL'YEVA, Aleksandra Fedorovna; CHIRKOVA, A.N., retsenzent; EOCATAYA, L.M., red.; KISINA, Ye.I., tekhne red.

[Establishing the level-of mechanization and automation of production operations in the dairy industry] Raschet urovnia mekhanizatsii i avtomatizatsii proizvodstvennykh protsessov v molochnoi promyshlennosti. Moskva, Pishchepromizdat, 1963. 26 p. (MIRA 16:6)

(Dairy industry-Equipment and supplies)

(Automation)

VASIL'YEVA, Anastasiya Fedoroyna; DOLGOPYATOV, Yu.A., red.; ZLOBIN, M.V., tekhn. red.

[Twenty years of work as a calf raiser] 20 let raboty teliatnitsei. Alma-Ata, Kazakhskoe gos. izd-vo, 1956. 17 p. (MIRA 11:7)

l. Starshaya telyatnitsa kolkhoza imeni Karla Marksa, Iliyskogo rayona, Alma-Atinskoy oblasti (for Vasil yeva).

(Kazakhstan--Calves)

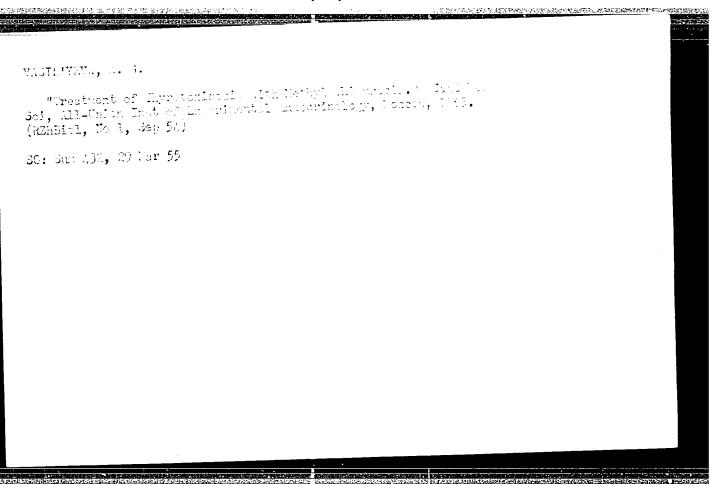
PODOL'SKIY, I. K.; VASIL'IEVA, A. F.

Paramonia de maria esta esta de la companya de la c

Stock and Stockbreeding

Pasture fattening livestock on a collective farm. Dost. Sel'khoz. No. 3, 1953.

Monthly List of Russian Accessions, Library of Congress, June 1953. UNCLASSIFIED.



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VASIL'YEVA, A.G., kandidat meditsinskikh nauk (Moskva)

Use of lipocaine in some forms of diabetes mellitus. Klin. med. 32
no.7:24-29 Jl '54.

1. Iz kliniki Vsesoyuznogo instituta eksperimental'noy endokrinologii
(dir.-prof. Ye.A.Yasyukova)

(DIAESTES MELLITUS, therapy

*pancreatic extract lipocaine)
(PANCREAS

*extract lipocaine, ther. of diabetes mellitus)
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VASIL'YEVA, A.G., kandidat meditsinskikh nauk, (Moskva)

Investigations of higher nervous activity in thyrotoxicosis. Probl. endokr. i gorm. Moskva 1 no.3:46-65 My-Je '55.

(MLRA 8:10)

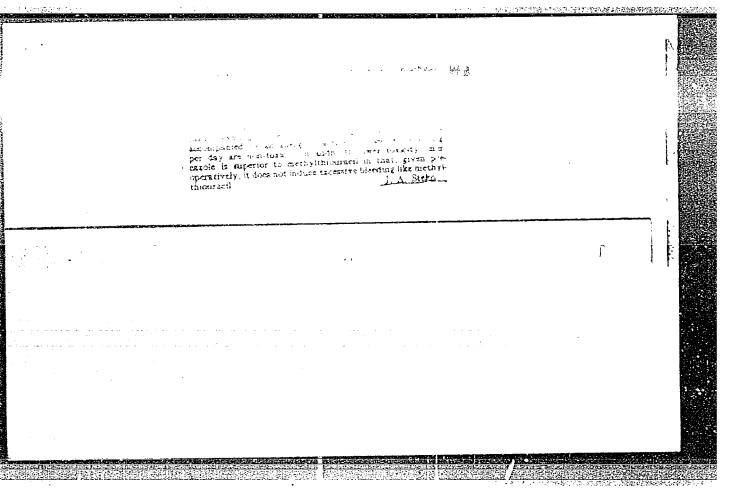
1. Iz kliniki Vsesoyuznogo instituta eksperimental'noy endokrinologii (dir.-prof. Ye. A. Vasiykova)

(CENTRAL MERVOUS SYSTEM, in various diseases, hyperthyroidism, higher nervous funct. tests) (REFLEX, CONDITIONED,

higher nervous funct. tests in hyperthyroidism) (HYPERTHYROIDISM physiology.

higher nervous funct. tests)

CIA-RDP86-00513R001858920020-6" **APPROVED FOR RELEASE: 08/31/2001** 



VASYUKOVA, YE. A., YASIL'YEVA, A. G., PLYASETEKIY, N. R.

"The Condition of the Cardio-Vascular System in Itsenko Cushing Disease."

Theses of the Proceedings of the Annual Scientific Sessions 23-26 March 1959 (All-Union Institute of Experimental Endocrinology)

From the clinical department of the All-Union Institute of Experimental Endocrinology (Director--Professor Ye. A. Vasyukova)

BIRICH, T.V., prof.; VASIL'YEVA, A.G., kand.med.nauk

Successful treatment of a patient with tuberculosis of the eyes, heamtogenous pulomnary tuberculosis, and ankylosing tuberculous polyarthritis. Zdrav. Belor. 5 no.9:62-64 S 159. (MIRA 12:12)

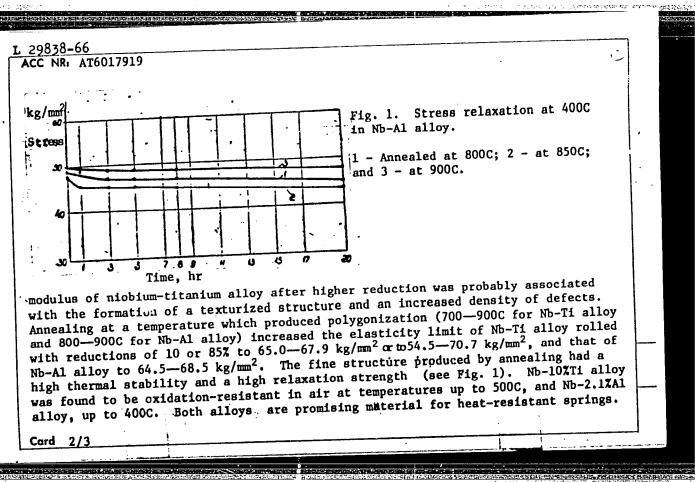
1. Iz kliniki glaznykh bolezney Minskogo meditsinskogo instituta. (TUBERCULOSIS)

VASIL'YEVA, A.C.; EGART, F.M.

Encocrine disorders in sprue and sprue-like syndromes. Probl. endok. i gorm. 10 no.1:46-50 Ja-F '64. (MIRA 17:10)

1. Klinika Vsesoyuznogo instituta eksperimental'noy endokrinologii (dir. - prof. Ye.A. Vasyukova), Moskva.

L 29838-66 EWT(d)/EWT(m)/EWP(v)/T/EWP(t)/ETI/EWP(k) IJP(c) JD/GD	37 B. C
ACC NR: AT6017919 (N) SOURCE CODE: UR/0000/65/000/000/0031/0035	
AUTHOR: Vasil'yeva, A. G. (Candidate of technical sciences)	
ORG: none	
TITLE: Niobium-base spring alloys	
SOURCE: Leningradskiy dom nauchno-tekhnicheskoy propagandy. Povysheniye nadezhnosti pruzhin (Increasing the reliability of springs); sbornik. Leningrad, 1965, 131-35	
TOPIC TAGS: niobium base alloy, titanium containing alloy, aluminum containing alloy, spring , strain hardening, elasticity, hardness, annealing, stress relaxation, heat resistant alloy	
ABSTRACT: Two niobium-base alloys, one containing 10.5% titanium and another 2.1% aluminum, were vacuum rolled into 0.3-mm thick strips with total reductions of 10 and 85—90% (niobium-titanium alloy) or 10% (niobium-aluminum alloy). The strip specimens were tested for elastic properties in the as-rolled and annealed (at 700—900C) conditions. The niobium-titanium alloy as-rolled with 10 or 85—90% re-	
700—900C) conditions. The niobium-titanium alloy as lotted with the niobium-titanium alloy as lotted duction had a hardness of 285 or 338 HV (235 HV prior to rolling), an elasticity duction had a hardness of 360 HV (270 HV prior to rolling), as rolled niobium-aluminum alloy had a hardness of 360 HV (270 HV prior to rolling), as rolled niobium-aluminum alloy had a hardness of 360 HV (270 HV prior to rolling), an elasticity limit of 304 kg/mm², and an elasticity modulus of 9300 kg/mm². The slight decreased the elasticity an elasticity limit of 304 kg/mm², and an elasticity modulus of 9300 kg/mm².	
Card 1/3	



sufficient	ly ductil	e and can be	rolled in	industrial application to thin strip. To obtain the strain hardened erature. Orig. art.	and subsequently	
SUB CODE:	11, 13/	SUBM DATE:	190ct65/	ATD PRESS: 5013	·	
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VASIL'YEVA, A.G., kand. tekhn. nauk, dotsent

Investigating properties of niobium alloys used for springs.

Izv. vys. ucheb. zav.; mashinostr. no.5:164-170 '65.

(MIRA 18:11)

L (Galacia SUP(a)/EVP(n)-2/EVP(2)/EVP(E)/EVP(E)/IXAA(d)/EVP(W)/EVP(t) Pu-4\_\_ =/011.5/65/000/005/0164/01**7**0 ACCESSION HRI APSOLOOLS , 5.082 AUTHORS: Vasilyava, A. G. (Candidate of technical sciences, Docent); Prokoshkin, D. A. (Professor, Boctor of technical sciences) TITLE: Investigation of the properties of miobium apring alloys SOURCE: IVUZ. Mashinostroyeniye, no. 5, 1965, 164-170 TOPIC TAGS: niobium alloy, titanium alloy, aluminum alloy, spring alloy, alloy property ABSTRACT: The elastic relaxation and corrosion resistive properties of Nb-Ti (alloy No. 1: 10.5% Ti, 0.04 Cu, 0.6 W, rest Nb) and No-Al (alloy No. 2: 2.1% Al, 0.09 Cu, 0.6 W, the rest Nb) alloys were experimentally determined as a function of heat treating temperature, plastic deformation, and operating temperature. After casting, the alloys were annealed (15000 for alloy No. 1, 1250 for No. 2) for 25 hours at  $\approx$  10 mm Hg (hardness 235 and 270 HV respectively), not relied (at 12500) from 9-2 mm (5-10% per pass), again annealet (at 12500) and then rold rolled (5% single pass). Alloy No. 1 was then cold rolled from 2-0.30 mm (65%) with and without intermediate annealing, annealed at 12500 (1 hour) and finally cold rolled from 0.33 to 0.3 mm. Alloy No. 2 was not rolled (only 10% because of low plasticity) at 1000. The elasticity, elastic limit, and stress relaxation Care 1/2

# r. 63285-65

# ACCESSION HR: AP5016013

were measured as a function of annealing temperature (709-9000 for Nb-Ti, 800-9000 for No-Al) after it was found that the recrystallization temperatures were 11000 (10% deformation) and 950C (85% deformation) for Nb-Ti and 1000C (10%) for Nb-Al alloys. It was found that the elastic modulus for the Nb-Ti alloy was maximum after annealing (for 1/2 hour) at 8500 for 10% deformation (10 700 kg/mm) and at 8000 for 85% deformation (9700 kg/mm); for Nb-Al the maximum was 10 500 kg/mm after annealing at 8000 (10% deformation). The elastic limit was found to be fairly constant over the annealing temperature ranges: Nb-Ti- $T_{0.01} \approx 78 \text{ kg/mm}^2$ ; To.002  $\approx 70$ ; Nb-Al-73, 70, 65 kg/mm² respectively. The optimum annealing temperatures for stress relaxation ( $T_0 = 16.51 \text{ kg/mm}^2$  at 1000) were found to be as follows: Nb-Ti-8500 (10% deformation) gave 4.8% relaxation; 8500 (85%) gave 4.75%; Nb-Al-9000 (10%) gave 3.8%. High temperature oxidation resistence teste showed that Nb-Ti was stable to 5000, Nb-Al to 4000. Orig. art. has: 4 figures and 3 tables.

ASSOCIATION 1 none

SUEMPTTED: Chaprel

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SUP CODE:

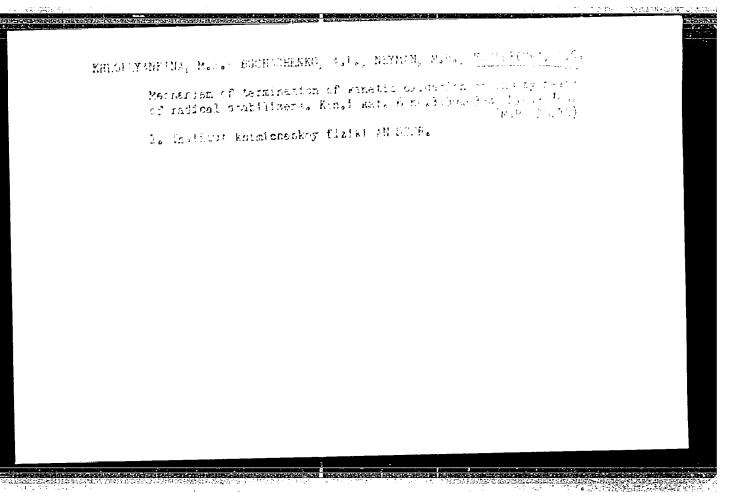
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OTHER: 001

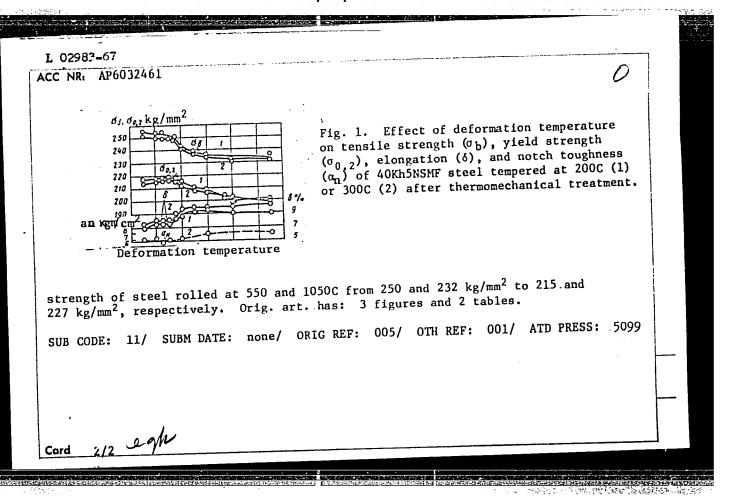
Cord 2/2KC

EWT (m)/EWA(d)/EWP(t)/EWP(z)/EWP(b) MJW/JD SOURCE CODE: UR/0129/65/000/011/0031/0033 10281-66 AP5027709 ACC NRI AUTHOR: Prokoshkin, D. A.; Vasil'yeva, ORG: MVTU im. Bauman TITLE: The strength and ductility of alloy steels subjected to low-temperature thermochemical treatment. 4 SOURCE: Metallovedeniye i termicheskaya obrabotka metallov, no. 11, 1965, 31-33. TOPIC TAGS: steel, alloy steel, structural steel, steel treatment, heat treatment, thermomechanical treatment, ansforming, steel ansforming, low temperature treatment, steel property/VL1 steel, VL1D steel, VKS1 steel, 40Kh SNVF steel ABSTRACT: The effect of low-temperature thermomechanical treatment (LTTMT) on the mechanical properties of a series of medium- and high-alloy structural steels has been investigated. Six complex-alloyed steels, VL-1; VL1D; VKS1; 40KhGSNMF; 40KhSNVF, and 40Kh5NSMF; containing 0.3—0.46Z C, 1.4—5.2% Cr, 0.81—2.26% Ni, 0—1.5% Mo, /8 0.55—1.38% Mn, 0.86—1.32% Si, 0—0.8% V, and 0—1.2% W, were austenitized at 900-1030C, cooled to 550-500C, rolled in one, two, and five or ten passes with respective reductions of 20, 40, and over 85% (with reheatings in 5 and 10 pass rolling), oil quenched, and tempered at 200, 250, or 260C. It was found that LTTMT significantly reduced the block size in all the investigated steels. After the LTTMT, the tensile strength of all steels was 60-80 kg/mm2 higher than that of conventionally heat-treated steels: from 179 to 225 kg/mm<sup>2</sup> for UDC: 620.178:3:669.15-194:66.046 Card 1/2 \* Should be

# L 10281-66 ACC NR: AP5027709 VL1 steel and from 200 to 276 kg/mm² for 40KhSNVF steel. The increases in the yield strength and elongation ranged from 4 to 69 kg/mm² and from 0.5 to 2.27, respectively strength and elongation increase in the tensile strength occured at low and very high reductions. The elongation increased with increasing reductions up to 60% and reductions. The elongation increased with increasing reductions up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does not decreased with higher reductions. Tempering at temperatures up to 550C does n



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L 02983-67 EWT(m)/EWP(w)/T/EWP(t)/ETI/EWP(k) IJP(c) JD/HW	·
ACC NR: AP6032461 SOURCE CODE: UR/0129/66/000/009/0051/0054	
AUTHOR: Prokoshkin, D. A.; Vasil'yeva, A. G.; Akimov, V. V.; Shinkarevich, Yu. B.	
ORG: none $\mathcal{B}$	
TITLE: Effect of deformation temperature in thermomechanical treatment on mechanical	.
properties and nil-ductility transition temperature of alloyed structural steel	
SOURCE: Metallovedeniye i termicheskaya obrabotka metallov, no. 9, 1966, 51-54	
TOPIC TAGS: structural steel, steel thermomechanical property, sleel, cryogenic metal-working temperature thermomechanical treatment, and inetal heat treatment, steel, solid mechanical property/40Kh5 NSMF steel	
cryogenic metal working temperature thermomechanical treatment,	
metal heat treatment, steel askid mechanical property/40Kh5NSMF steel	
ABSTRACT: Several series of specimens of 40Kh5NSMF (0.46% C, 5.2% Cr, 1.6% Ni,	Ì
1.5% Mo, 0.55% Mn, 1.32% Si, 0.2% V) steel were austenitized at 1050C and subjected	
to thermomechanical treatment (TMT), rolled at 550—1050C with 50% reduction, quenched and then tempered at 200—300C. The tensile strength and yield strength were found	
to increase and ductility to decrease with decreasing deformation temperature (see	
Fig. 1). The NDT temperature dropped with increasing deformation temperature from	
-20C for steel rolled at 550C to -50C for steel rolled at 800-1050C. The strengthening effect of thermomechanical treatment was not eliminated by repeated	
hardening. However, the higher the temperature of TMT, the more stable the effect.	
Repeated hardening with short 5-min austenitizing at 1050C lowered the tensile	
Card 1/2 UDC: 621.789:669.14.29	



PROKOSHKIN, D.A.; VASIL'YEVA, A.G.; AKIMOV, V.V.

Strength and plasticity of alloyed steels following a low-temperature thermomechanical treatment. Metalloyed. 1 term. obr. met. no.ll:31-33 N '65. (MIRA 18:12)

1. Moskovskoye vyssheye tekhnicheskoye uchilishche im. Baumana.

KHLOPLYANKINA, M.C.; BUCHACHENKO, A.L.: VASILIYEVA, A.G.; NEYMAN, M.B.

Temperature dependence of cage effect in liquid-phase reactions. Izv. AN SSGR. Ser. khim. no.7s1296-1298 165. (MIRA 18s7)

1. Institut khimicheskoy fiziki AN SSSR.

59530-65 ENT(m)/EPF(c)/ENG(m)/ENF(j) CCESSION NR: AP5016809	/T Pc-4/Pr-4 RFL DS/WW/RM UR/C195/65/006/003/0394/0398 541.124 : 542.943
UTHOR: Khloplyankina, M. S.; Buchacher	nko, A. L.; Neyman, M. B.; Vasil'yeva, A. G.
TITLE: Mechanism of termination of kine	etic oxidation chains by radical stabilizers
OURCE: Kinetika i kataliz, v. S, no. 3	3, 1965, 394-398
	dical stabilizer, oxidation, chain reaction
BSTRACT: Elementary reactions of inhibits and inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a selection of inhibits and inhibits are selected as a se	oition of hydrocarbon oxidation with nitro-
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CH <sub>8</sub> CH <sub>8</sub> CH <sub>8</sub> CH <sub>8</sub> CH <sub>8</sub>	CHE CHE CHE CHE
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Card 1/2	

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ACCESSION NR: AP5016809

were studied in detail. Effectiveness of termination of kinetic oxidation chains is determined by the competition of nitrosyl radicals and oxygen for R' and RO' radicals, chain carrying species in liquid and solid phase oxidation of individual hydrocarbons and polymers. The ratio of the rate constants of these competing reactions at 50°C is 26°3 for oxidation of ethylhenzene and 1.4°2 for diphenylmethane. Esters of general formula >N-OR result from trapping of R' radicals by nitrosyl radicals. Nitrosyl radicals are useful as radical monitors in determining the rate of initiation of radical-type polymerization and also in studying the cage-effect in the liquid phase radical-type reactions. "In conclusion the authors thank V. Ya. Shlyapintokh for help and interest in the work." Orig. art. has: 1 table,

3 figures, 3 formulas.

ASSOCIATION: Institut khimicheskoy fiziki AN SSSR (Institute of Chemical Physics,

AN SSSR)

SUBMITTED: 23Nov63

ENCL: OC

SUB CODE: GC

NO REF SOV: 010

OTHER: 002

llc

Card 2/2

ZAKHAROVA, N.V., LIAKUMOVICH, A.G., PARFENENKOVA, L.R., VASILYEVA, A.G.

Basic regularities of the reaction of isoamilenes with sulfurit acid. Knim. i tekh. topl. 1 masel 9 no.9:18-22 S '64.

(MIRA 17:10)

1. Sterlitamakskiy zavod SK.

LUKOVNIKOV, A.F.; FEDOROV, B.P.; VASIL YEVA, A.G.; KRASNYANSKAYA, E.A.; LEVIN, P.I.; GOL DVARB, Ya.L.

Benzimidazole derivatives as inhibitors of the oxidation of polypropylene and the effect of p-hydroxydiphenylamine on their effectiveness. Vysokom. soed. 5 no.12:1785-1789 D 163. (MIRA 17:1)

1. Institut khimicheskoy fiziki AN SSSR i Institut organicheskoy khimii im. N.D. Zelinskogo AN SSSR.

5/0129/64/000/001/0055/0056

ACCESSION NR: AP4010078

AUTHOR: Vasil'yeva, A. G.

The effect of ultrasonic oscillations on the hardenability TITLE: of steel

SCURCE: Lietallovedeniye itermicheskaya obrabotka metallov, no. 1, 1964, 55-56

TCPIC TAGS: ultrasonic oscillations, magnetostriction converter, magnetostriction vibrator, case hardening, martensite, sonic treatment, wave guides, steel hardening

ABSTRACT: An investigation into the effect of ultrasonic aboutable: An investigation into the effect of ultrasonic oscillation on the hardenability of steel involved the use of an 800-watt "BAR" generator, while a magnetostriction converter made of nickel was used as a vibrator. The wave-guide samples, all made of the same material, measured 130 mm in length, which is the equivalent of 3/4 wavelength of the basic harmonic of the magnetostriction vibrator. Ultrasonic oscillation improves the hardenability of steel when applied during the cooling the hardenability of steel when applied during the cooling

ACCESSION NR: AP4010078

It is possible that these oscillations slow the cooling process by releasing heat during the change from mechanical oscillation energy to thermal energy. A micro-structural analysis revealed that the processed steel samples were not as hard as the control samples, due to the fact that the ultrasonic oscillations increased the size of the austenitic grain which, in turn, enlarged the martensite needles. Ultrasonic oscillation affects the hardenability of steel under any hardening temperature, particularly under an optimum temperature. Orig. art. has:

ASSOCIATION: MYTU imeni Baumana (The Bauman Moscow Higher Technical School)

SUBMITTED: 00

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SUB CODE: ML, AP

NO REF SOV: 000 OTHER: 000

Card 2/2

APPROVED FOR RELEASE: 08/31/2001 CIA-RDP86-00513R001858920020-6"

VASIL'YEVA, A.G., kand.tekhn.nauk; KOBTSEVA, T.Ye., inzh.

Effect of ultrasonic waves on the grain size in austenite and peralite. Metalloved. i term. obr. met. no.9:22-23 5 162.

(MIRA 16:5)

1. Moskovskoye vyssheye tekhnicheskoye uchilishche im. Baumana. (Ultrasonic waves-Industrial applications) (Steel-Metallography)

REPORT THE PROPERTY OF THE PRO

KHLOPLYANKINA, M.S.; LUKOVNIKOV, A.F.; LEVIN, P.I.; Prinimali uchastiye: VASIL'YKVA, A.G.; BULGAKOVA, T.A.

Increased effectiveness of the combined action of antioxidants (synergism). Part 2: Basic manifestations of the effect of anti-oxidant mixtures. Vysokom.soed. 5 no.2:195-200 F 163.

(MIRA 16:2)

1. Institut khimicheskoy fiziki AN SSSR. (Antioxidants)

5/129/62/000/009/004/006 E073/E435

Vasil'yeva, A.G., Candidate of Technical Sciences, AUTHORS:

Kobtseva, T.Ye.

Influence of ultrasonic oscillations on the size of TITLE:

austenite and pearlite grains .

PERIODICAL: Metallovedeniye i termicheskaya obrabotka metallov,

no.9, 1962, 22-23 + 1 plate

and the same was a second to the

The influence of ultrasonics (21 kc/s) on the proneness TEXT: of austenite grains to grow and to decompose was studied on The specimens were hardened or normalized at various temperatures with holding times of 30 min, each experiment being conducted with and without the ultrasonic treatment; the specimens were tuned to the resonance frequency. To prevent, decarburization, the specimens were heated in a salt bath. The ultrasonics were applied during heating (from 650°C onwards), After the heat treatment, holding and subsequent cooling. hardness measurements were taken, the microstructure examined and the grain size determined. Conclusions: Ultrasonic treatment applied during heating brought

Card 1/2

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Influence of ultrasonic ...

\$/129/62/000/009/004/066 E073/E435

about a coarsening of the austenitic grain leading to the formation of coarse acicular martensite; application of ultrasonics during the cooling, when austenite is transformed into pearlite, caused refining of the pearlite grain. There are 3 figures.

ASSOCIATION: MVTU imeni Bauman

Card 2/2

LEVIN, E.D.; VASIL'YEVA, A.G.

Analysis of sodium phenolates produced in dephenolizing units.
Koks i khim. no.9:50-52 '61. (MIR. 1):1)

1. Magnitogorskiy metallurgicheskiy kombinat.
(Sodium phenoxide--Analysis)

SOV/137-57-11-22350 D

Translation from: Referativnyy zhurnal, Metaliurgiya, 1957, Nr 11, p 244 (USSR)

AUTHOR: Vasil'yeva, A.G.

TITLE An Investigation of the Ductility and Strength of Steel in the

Recrystallization Interval (Issledovaniye plastichnosti i proch-

nosti stali v intervale perekristallizatsii)

ABSTRACT: Bibliographic entry on the Author's dissertation for the de-

gree of Candidate of Technical Sciences, presented to the Mosk, vyssh, tekhn, uch-shche (Moscow Higher Technical

School), Moscow, 1957

ASSOCIATION: Mosk. vyssh. tekhn. uch-shche (Moscow Higher Technical

School), Moscow

Card 1/1

APPROVED FOR RELEASE: 08/31/2001 CIA-RDP86-00513R001858920020-6"

SOV/137-58-11-23463

Translation from: Referativnyy zhurnal. Metallurgiya, 1958, Nr 11, p 232 (USSR)

AUTHORS: Pogodin-Alekseyev, G. I., Vasil'yeva, A. G.

TITLE: The Strength and Ductility of Steel in the Range of Recrystallization

(Prochnost' i plastichnost' stali v intervale perekristallizatsii)

PERIODICAL: V sb.: Term. obrabotka i prochnosť metallov i splavov. Moscow,

Mashgiz, 1958, pp 53-64

ABSTRACT: Tension tests were performed on specimens of steels St 20, 35, 45,

and U8 at temperatures ranging from 650 to 900°C (in 10-30° increments) in order to refine existing data on the reduction of the plasticity of steel in the vicinity of critical points. Two procedures were employed for the heating of the specimens: a) Direct heating to the required temperature; b) heating to 980° followed by controlled cooling until the desired temperature was attained. Certain anomalies in the ductility of steel were observed in the range of recrystallization; in particular, a significant increase in magnitude of  $\delta$ , followed by a sharp decrease. These phenomena are connected with processes of

hardening and recrystallization of the austenite. Bibliography: 9

Card 1/1 references.

APPROVED FOR RELEASE: 08/31/2001 CIA-RDP86-00513R001858920020-6"

POGODIN-ALLEKSEYEV, G.I.; VASIL'TEVA, A.G.

Methods for determining localized and uniform plasticity under tensile stress. Zav.lab. 24 no.11:1394-1395 '58.

(Metals--Testing) (Plasticity)

VASIL'YEVA, A. G., Cand. Tech. Sel.; POGODIN-ALEKSEYEV, G. 1. (Dr. Tech. 221.,;

"Strength and Plasticity of Steel in the Recrystallization Temperature Range,"
Termicheskaya obrabotka i prochnost' metallov i pplavov; stornik statey
(Heat Treatment and Strengh of Metals and Alloys; Collection Articles) Moscow,
Mashgiz, 1958, 177 p.

The authors describe anomalous changes in strength and plasticity which occur during the recystallization temperature range.

14(11), 7(6)

sov/32-24-11-23/37

AUTHORS:

Pogodin-Alekseyev, G. I., Vasil'yeva, A. G.

TITLE:

Methods of Determining Localized and Uniform Plasticity in Extension (O metodike opredeleniya lokalizovannoy i ravnomer-

noy plastichnosti pri rastyazhenii)

PERIODICAL:

Zavodskaya Laboratoriya, 1958, Vol 24, Nr 11, pp 1394-1395

(USSR)

ABSTRACT:

One of the most common methods of measuring plasticity is the method of applying graduation grids, which was developed best by T. K. Zilova and Ya. B. Fridman. In some cases, however, as e. g. at high temperatures, this method cannot be applied. One of the authors of the study under review had already suggested (Ref 1) a simple method of determining plasticity under any static testing conditions including high temperatures. This method consists of measuring a graduation on the sample, which was applied after testing, or of measuring the diameter only of various cross-sections of the sample (after testing) at certain distances from the point of failure. In order to plot the diagrams of distribution of plasticity on the sample before testing, the initial length of each segment between the

Card 1/2

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SOV/32-24-11-23/37

THE REPORT OF THE PROPERTY OF

Methods of Determining Localized and Uniform Plasticity in Extension

lines of calibration of the neighboring cross-sections is computed. The diameter is determined by means of an equation. This method was verified with samples of low-carbon plastic steel 20 of a diameter of 6 mm and a length of 30 mm. The lines of calibration (0.1 mm) were applied by means of a graduating machine in intervals of 2 mm. Measuring was carried out by means of a microscope. It is noted that this method of computation facilitates an exact estimation of the distribution of plastic deformation in the sample and that the maximum of plasticity can be observed very accurately. There are 1 figure, 2 tables, and 1 Soviet reference.

Card 2/2

VASIL'YEVA, A.G. Cand Tech Scie -- (diss) "Study of the plasticity and stability of steel in the interval of recrystallization."

Mos, 1957. 15 pp 21cm. (Min of Higher Education USSR. Mos Order of Lenin and Order of Labor Red Banner Higher Technical School im Bauman.) 100 copies. (KL, 23-57,112)

-5**)-**#

VASIL'YEVA, A. G. Cand Med Sci -- (diss) "Treatment of victims of metastatic of the policy with tuberculosis of the eye sp streptomycin and the combined application of it with oxygen and PASK /Faraaminosalicylic acid?" Minsk, 1957. 18 pp 22 cm.

(Minsk State Med Inst), 200 copies (KL, 24-57, 120)

-71-

VASILYEVA, A.G.

USSR / Pharmacology, Toxicology. Chemotherapeutic Agents.

U-7

Abs Jour

: Ref. Zh.-Biol., No 2, 1958, No 8166

Author

: Vasilyeva, A. G.

Inst

-

Samuel Commence

Title

: Combined Streptomycin - PAS Therapy in Metastatic Tuber-culosis of the Eyes.

Orig Pub

: Zdravookhr. Belorussii, 1957, No 3, 39-42.

Abstract

; Thirty-nine patients with metastatic tuberculosis of the eyes were given streptomycin and PAS according to the following method. A 50 ml solution of a calcium chloride complex of streptomycin, containing 50,000 units in 1 ml of physiologic asline was applied daily to the bulbar conjunctiva following 3 instillations of a 0.5% dicaine solution into the conjunctival sac; 1-2 g of PAS were given

Card

: 1/2

# EXCERPTA MEDICA Sec.12 Vol.12/4 Ophthalmology April 58

698. COMBINED ADMINISTRATION OF STREPTOMYCIN AND OXYGEN IN THE TREATMENT OF SEVERE FORMS OF METASTATIC OCULAR TUBERCULOSIS (Russian text) - Vasileva A.G. - ZDRAV. BELORUSSII 1956, 8 (34-37)

Combined treatment with streptomycin and oxygen was applied in 52 patients (83 eyes) as follows. Anaesthesia of the conjunctiva was effected by instillation of 0.5 dicaine solution applied 3 times. The oxygen was introduced under the conjunctiva until a distinct small cushion formed (0.7-1 ml.); streptomycin 25,000 U. was introduced in 0.5 ml. of solution. The injections of oxygen were alternated with streptomycin every other day. In early forms of tuberculous uveitis (8 patients), choroidoretinitis and maculitis (2 patients) a good result was obtained in all cases; in chronic tuberculous uveitis (15 patients) a good result was achieved in 8 cases, a satisfactory one in 6 and some little improvement in one; in chronic tuberculous choroidoretinitis and maculitis (15 patients) a good result was obtained in 5 patients. a satisfactory one in 4, a slight one in 5, and no improvement in one; in haemorrhagic forms (12 patients) the result was good in 4 and satisfactory in 7, with a slight improvement in one. The duration of the disease was: in 13 cases up to 3 months, in 6 cases 3-12 months, in 13 cases 1-2 years, in 7 cases 2-5 years, and in 13 cases over 5 years. The author points out that the process of resorption of precipitates turbidity and haemorrhages in the vitreous, and of haemorrhagic foci in the fundus, of exudates and tubercles proceeds more quickly when combined oxygen-streptomycin therapy is instituted than when streptomycin alone is administered. Combined oxygen-streptomycin therapy is effective both in exudative and haemorrhagic forms of metastatic ocular tb and also in diffuse chorioneuroretinitis, maculitis and uveitis with intensive turbidity of the vitreous.

Category: USSR/Solid State Physics - Mechanical properties of crystals and poly-

crystalline compounds

Abs Jour : Ref Zhur - Fizika, No 1, 1957 No 1367

: Pogodin-Alekseyev, G.I., Vasil'yeva, A.G. Author

: On the Connection Between the Size of the Grain of the Microstructure, the Title

Form of the Fracture, and the Impact Viscosity of Steel.

Orig Pub : Critical remarks concerning statements made by V.D. Sadovskiy, K.A. Malyshev, and B.G. Sazonov (Referat. &h. Fizika, 1955, 6962) that recrystallization of steel is not necessarily related to the phase transformations, occurring in the transition through the Ac -- Ac interval. The authors made a special investigation of specimens of overheated and carbon steel (0.65% C, 0.90% Mn, 0.54% Si, 0.012% S, 0.031% P), which showed a large grain and a coarse crystalline fracture after heating to 1150° for 30 minutes and cooling in air. The specimens were subjected to a repeated normalization in the temperature range from 700 to 1000° in steps of 50°. It turned out that the reduction in the grain and in the structure of the fracture is not attained simultaneously, and an increase in the impact viscosity is observed at values of normalization temperatures that are not high enough to insure a reduction in the grain of the fracture. The authors conclude that the properties of the steel are

: 1/2 Card

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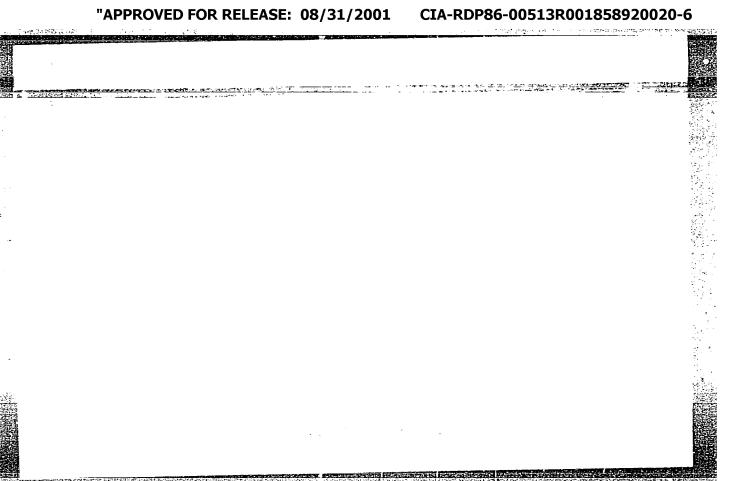
Category: USSR/Solid State Physics - Mechanical properties of crystals and poly- E-9

crystalline compounds

Abs Jour : Ref Zhur - Fizika, No 1, 1957: No 1367

determined both by the size of the micro-structure grain, as well as by the character of the "crystalline organization," which determines the size of the fracture grain, and that there is no basis for contrasting the  $Ac_3$  point and Chernov's "b" point.

Card : 2/2



VASYUKOVA, Te.A., prof.; VASIL'YEVA, A.G., starshiy nauchnyy sotrudnik;
PYASETSKIY, N.R., starshiy nauchnyy sotrudnik (Moskva)

Cardiovascular disorders in the Itsenko-Cushing disease. Probl. endok.i gorm. 5 no.6:63-76 N-D '59. (MIRA 13:5)

1. Iz kliniki Vsesoyuznogo instituta eksperimental noy endokrinologii (dir. - prof. Ye.A. Vasyukova).

(CUSHING SYNDROME compl.)

(CARDIOVASCULAR DISEASES etiol.)

GOFMAN, M.M., VASIL'YEVA, A.I.; LUBENSKIY, N., red.; TOPOROV, P., tekhn. red.

[Intensified loading of combines on the North Caucasian railroad]
Opyt Severo-kavkazskoi zheleznoi dorogi po uplotnennoi pogruzke
kombainov. Rostov-na-Donu, 1957. 19 p. (MIRA 11:10)

1. Dorozhnoye Nauchno-tekhricheskoye obshchestvo, gruzovaya sluzhba Severo-Kavkazskoy zheleznoy dorogi (for Gofman, Vasil'yeva) (Combines(Agricultural machinery))--Transportation)

## VASIL'YEVA A I

Efforts to achieve the planned capacity of the Cheboksary Cotton Combine. Tekst. prom. 17 no.5:47-50 My '57. (MLRA 10:6)

1. Glavnyy inzhener Cheboksarskogo khlopchatobumazhnogo kombinata. (Cheboksary--Cotton manufacture)

VASIL'YEVA, A.I.; GIIMOV, A.I.; KHLONINA, N.P.; KOSTINA, T.N.;

ALEKSANDROV, F.T., starshiy nauchnyy sotrudnik, Laureat Gosudarstvennoy premii

THE PROPERTY OF THE PROPERTY O

The new factories should be equipped with high-capacity carding machines. Tekst.prom. 22 no.4:27-29 Ap '62 (MIRA 15:6)

1. Glavnyy inzhener Cheboksarskogo khlopchatobumazhnogo kombinata (for Vasiliyeva). 2.Nachalinik novostroyashcheysya pryadilincy fabriki No.3 Cheboksarskogo khlopchatobumazhnogo kombinata (for Glumov). 3.Nachalinik chesalinogo tsekha novostroyashcheysya pryadilinoy fabriki No.3 Cheboksarskogo khlopchatobumazhnogo kombinata (for Khlonina). 4.Nachalinik proizvodstvennoy nauchnoissledovateliskoy laboratorii Cheboksarskogo khlopchatobumazhnogo kombinata (for Kostina). 5.Vsesoyuznyy nauchno-issledovateliskiy institut legkogo i tekstilinogo mashinostroyeniya (VNILTekmash) (for Aleksandrov).

(Carding machines)

APPROVED FOR RELEASE: 08/31/2001 CIA-RDP86-00513R001858920020-6"

DYMKIN, A.M.; VASIL'YEVA, A.I.

Magnesioferrite in the ores of the Teyskoye deposit. Geol. i geofiz. no.9:126-128 '64. (MIRA 18:7)

1. Institut geologii i geofiziki Sibirskogo otdeleniya AN SSSR, Novosibirsk.

DYMKIN, A.M.; VASIL'YEVA, A.I.

Some characteristics of the distribution of impurity elements in principal ore minerals of the Aleshinsk regnetite deposit (Turgay trough). Geol.i geofiz. no.8:75-81 61. (MIRA 14:9)

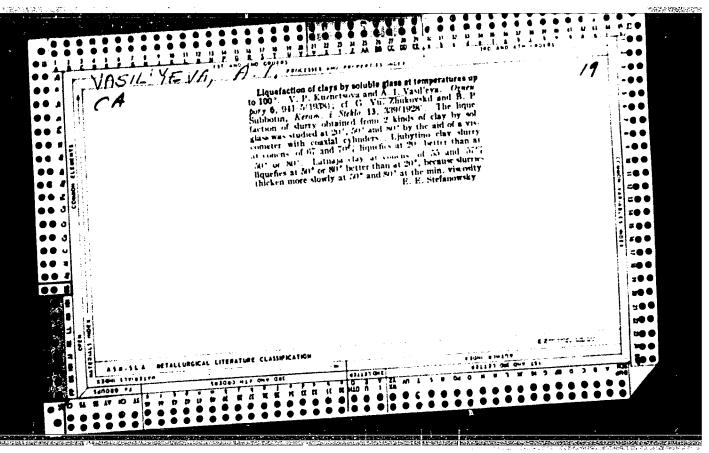
1. Institut geologii i geofiziki Sibirakogo otdeleniya AN SSSR, Novosibirak.

(Turgay gates-Mineralogical chamistry)

BOYARSHINA, A.P.; VASIL'YEVA, A.I.; SHARAPOV, V.N.

Genetic characteristics of the Medvezh're descrit in the Maz group of iron ore deposits. Geol. i geofiz. no.2:149-152 '65. (MIRA 18:9)

l. Institut geologii i geofiziki Sibirskogo otdeleniya AN SSSR, Novc-sibirsk, i Zapadno-Sibirskoye geologicheskoye upravleniye, Novckuznetsk.



VASILIYEVA, A. M.

"Economic Geography of the City of Syzran." Sub 26 Apr 51, Moscow Oblast Pedagogical Inst.

Dissertations presented for science and engineering degrees in Moscow during 1951.

SO: Sum. No. 480, 9 May 55

An interesting the state of the